



Introduction to Absolute Value

Student Activity

Name _____

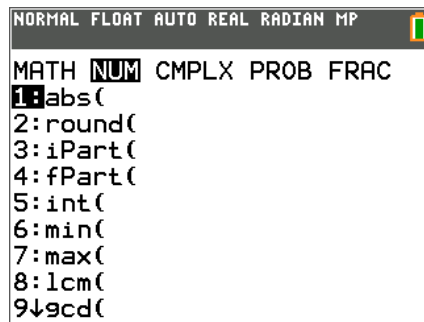
Class _____

Problem 1 – Defining and Plotting Absolute Value

The absolute value function can be defined as $|x| = \begin{cases} x, & x \geq 0 \\ -x, & x < 0 \end{cases}$.

Explore this definition by using the absolute value function on the graphing calculator.

Press $\boxed{\text{math}}$. Move to the **NUM** menu and select **abs(**.



1. Use the **abs** command on the Home screen to complete the following.

a. $|10.5| = \underline{\hspace{2cm}}$

b. $|-15| = \underline{\hspace{2cm}}$

c. $|-3.14| = \underline{\hspace{2cm}}$

d. $|-12| = \underline{\hspace{2cm}}$

e. $|8| = \underline{\hspace{2cm}}$

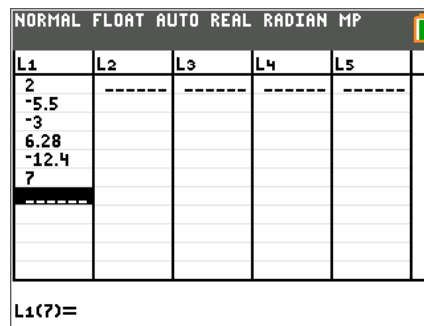
f. $|2.71| = \underline{\hspace{2cm}}$

2. What happens to the absolute value of numbers that are negative (to the left of zero on a number line)? How does this relate to the definition stated above?

To view a plot of the absolute value function, enter 10 random numbers (positive and negative) into **L1** using the stat editor.

To access the editor press $\boxed{\text{stat}} \boxed{\text{enter}}$.

Note: If there is data already in **L1**, clear it by moving the cursor to the top of **L1** and pressing $\boxed{\text{clear}} \boxed{\text{enter}}$.





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Now, move the cursor on top of **L2**, press **enter** and let the values of **L2** be equal to **abs(L1)** to compute the absolute values of the data you entered. To enter **L1**, press **2nd** **1**.

The screen to the right just shows a sampling of six **L1** values you may use.

L1	L2	L3	L4	L5	2
2	-----	-----	-----	-----	
-5.5					
-3					
6.28					
-12.4					
7					

L2 = |L1|

To graph the scatter plot of the data, press **2nd** **y=** [stat plot][STAT PLOT] and select **Plot1**. Match the screen to the right.

Press **zoom** and select **ZoomStat**.

Plot1	Plot2	Plot3
On	Off	
Type:		
Xlist: L1		
Ylist: L2		
Mark:		
Color: BLUE		

3. **L1** represents the x-values and **L2** represents the y-values. What trend do you notice about the y-values for the negative x-values? Describe the shape of the graph to the left of $x = 0$.

4. Describe the shape of the graph of $y = |x|$. Enter new numbers into the list, press **zoom**, and select **ZoomStat** to check the shape you described.

Problem 2 – Exploring Functions with Absolute Value

Now you will explore how changing parts of an absolute value function affects its graph using the transformation graphing application.

Before you begin, turn off **Plot 1** by pressing **2nd** **y=** [stat plot][STAT PLOT] selecting **Plot1** and choosing the **Off** Option.

Start the transformational graphing application by pressing **apps** and selecting **Transfrm**.



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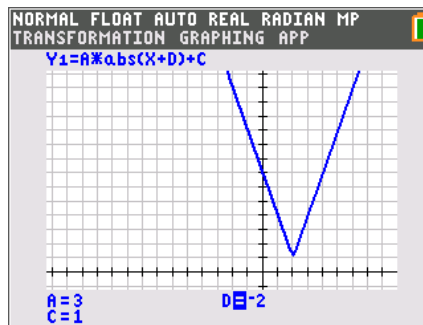
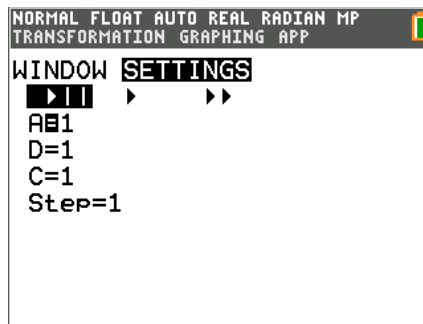
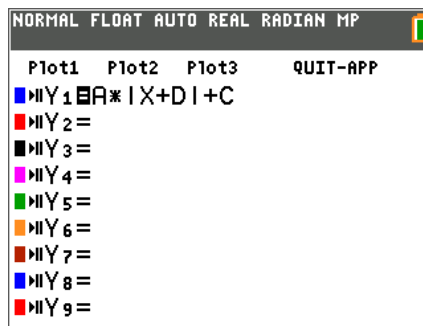
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Press $y=$ and enter $A*abs(X+D)+C$ next to Y_1 . Then press zoom and select **Zstandard**.

To enter the letter **A**, press α math . The letters **D** and **C** are entered in a similar manner by using α followed by the corresponding button to your desired letter.

To change the window setting shown at the right, press window \uparrow (up arrow).

To change the values of the constants, use the \uparrow and \downarrow arrow keys to select the desired variable and then use the \leftarrow and \rightarrow arrow keys to change the value.



5. What happens to the graph when a is negative? When a is positive?

6. In general, what effect does a have on the graph?



7. a. What happens to the graph when d is positive? When d is negative?
- b. What happens to the graph when c is positive? When c is negative?
- c. For this general function $y = |x + d| + c$, what are the coordinates of the vertex?

Problem 3 – Matching Equations to Graphs

Choose the correct equation from the options below for each graph shown.

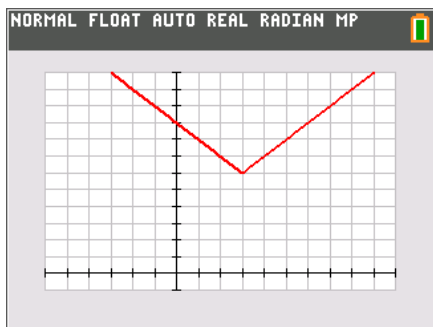
a. $y = |x - 6| + 3$

b. $y = -|x + 3| - 6$

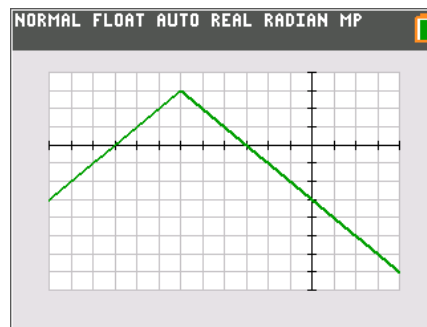
c. $y = |x - 3| + 6$

d. $y = -|x + 6| + 3$

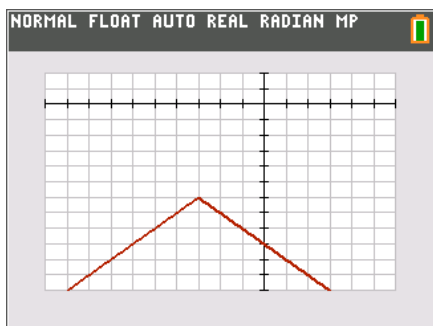
8.



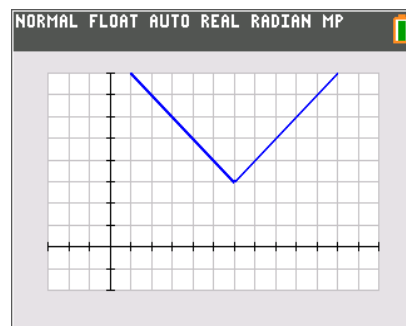
9.



10.



11.





Extension – General Absolute Value Function

12. Using the Transformation Graphing App, explore the graph of $Y_1 = A \cdot \text{abs}(BX + D) + C$. What does the graph look like when a is zero? What about when b is zero? Explain why.
13. List any other observations. For example, how is the slope related to a and b ? Is the vertex always $(-d, c)$?